



# A Notion of Expressiveness for Component-Based Systems

Workshop on Foundations and  
Applications of Component-based Design

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# Expressiveness for component-based systems

- Comparison between formalisms and models is done by flattening structure and reduction to behaviorally equivalent models e.g. finite state automaton, Turing machine
- This leads to notions of expressiveness that are **not adequate** for comparing coordination capabilities of languages and models e.g.
  - ❑ all finite state formalisms turn out to be expressively equivalent
  - ❑ all modeling and programming languages are Turing complete, while their coordination capabilities tremendously differ

## Objectives:

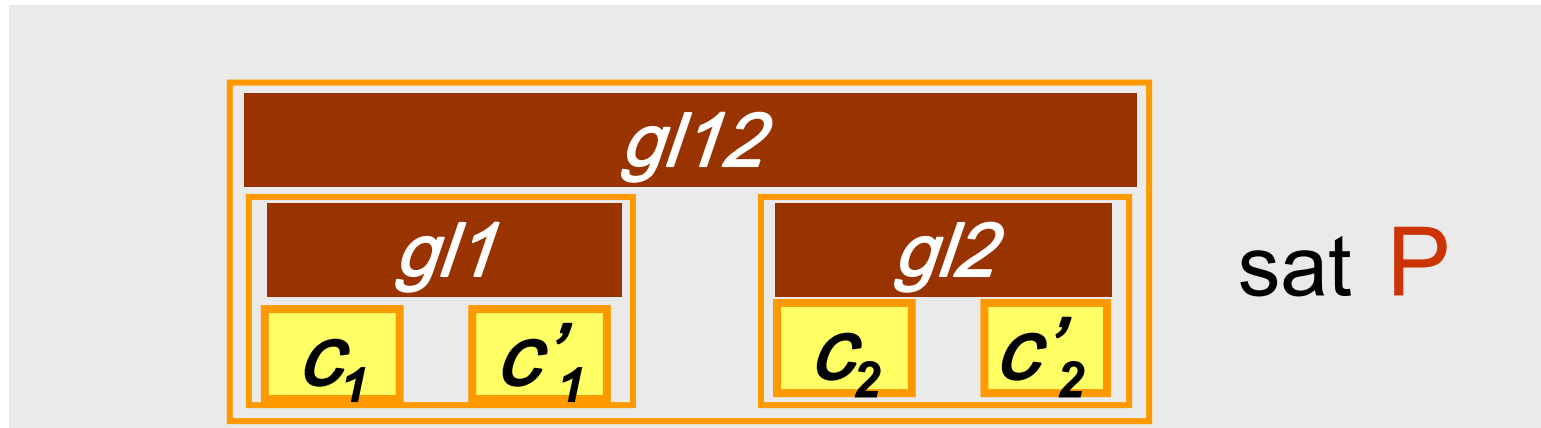
- Propose notions of expressiveness based on a strict separation between behavior and coordination
- Compare existing frameworks by using such notions

- Component-based Construction
- BIP: Basic Concepts
- Expressiveness
- Methodology for Componentization
- Discussion

# Component-based Construction: The Problem

Build a component  $C$  satisfying a given property  $P$ , from

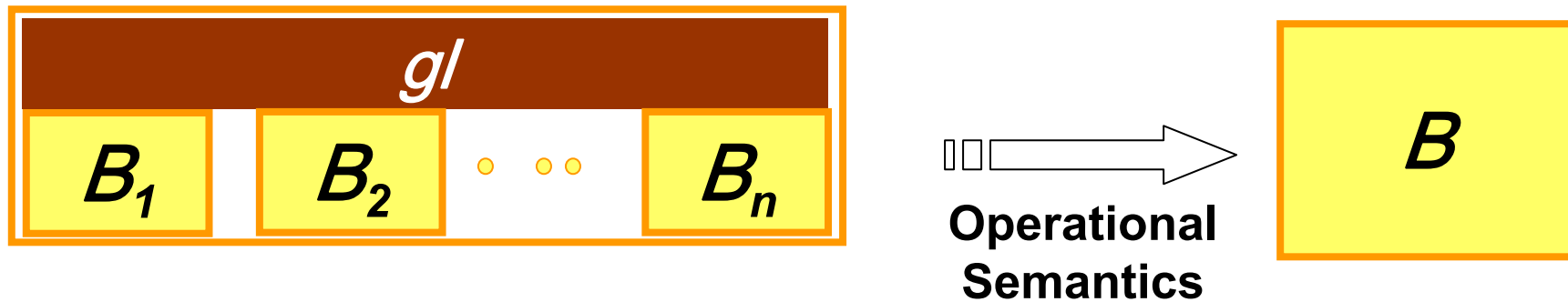
- $\mathcal{C}_0$  a set of **atomic** components described by their behavior
- $\mathcal{G} = \{gl_1, \dots, gl_i, \dots\}$  a set of **glue operators** on components



- Move from frameworks based on single composition operators to frameworks based on families of composition operators
- Glue operators allow modeling coordination mechanisms such as protocols, schedulers, buses

# Glue operators: operational semantics

We use operational semantics to define the meaning of a composite component – glue operators are “behavior transformers”



## Glue Operators

- build interactions of composite components from the actions of the atomic components e.g. parallel composition operators
- can be specified by using a family of derivation rules (the Universal Glue)

## Glue operators

A **glue operator** is a set of derivation rules of the form

$$\frac{\{q_i - a_i \rightarrow q'_i\}_{i \in I} \quad \{\neg q_k - a_k \rightarrow\}_{k \in K}}{(q_1, \dots, q_n) - a \rightarrow (q'_1, \dots, q'_n)}$$

- $I, K \subseteq \{1, \dots, n\}$ ,  $I \neq \emptyset$ ,  $K \cap I = \emptyset$
- $a = \bigcup_{i \in I} a_i$  is an interaction
- $q'_i = q_i$  for  $i \notin I$

Notice that, non deterministic choice and sequential composition are not glue operators

A **glue** is a set of glue operators

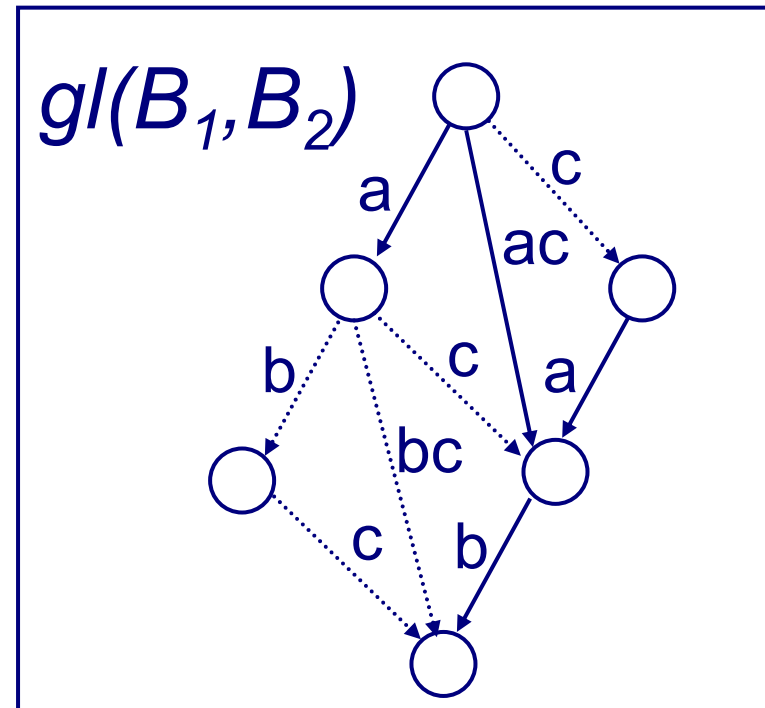
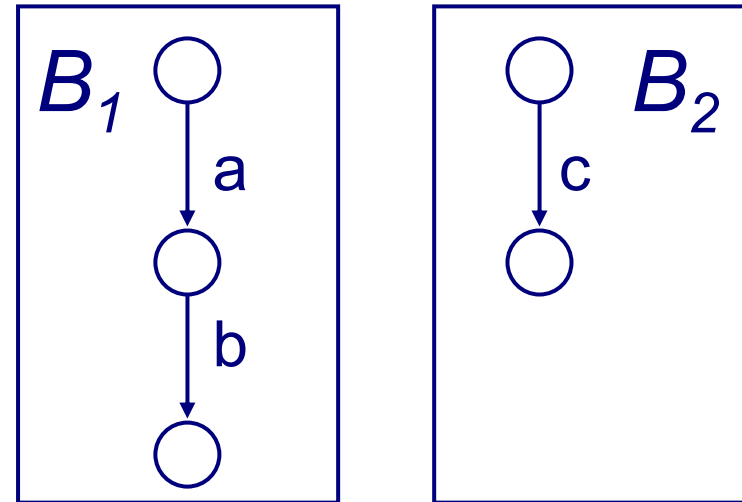
# Glue operators: Example

$gl$  is defined by

$$\frac{q_1 - a \rightarrow q'_1}{q_1 q_2 - a \rightarrow q'_1 q_2}$$

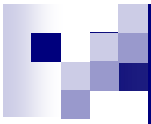
$$\frac{q_1 - a \rightarrow q'_1 \quad q_2 - c \rightarrow q'_2}{q_1 q_2 - ac \rightarrow q'_1 q'_2}$$

$$\frac{q_1 - b \rightarrow q'_1 \quad \neg q_2 - c \rightarrow}{q_1 q_2 - b \rightarrow q'_1 q_2}$$



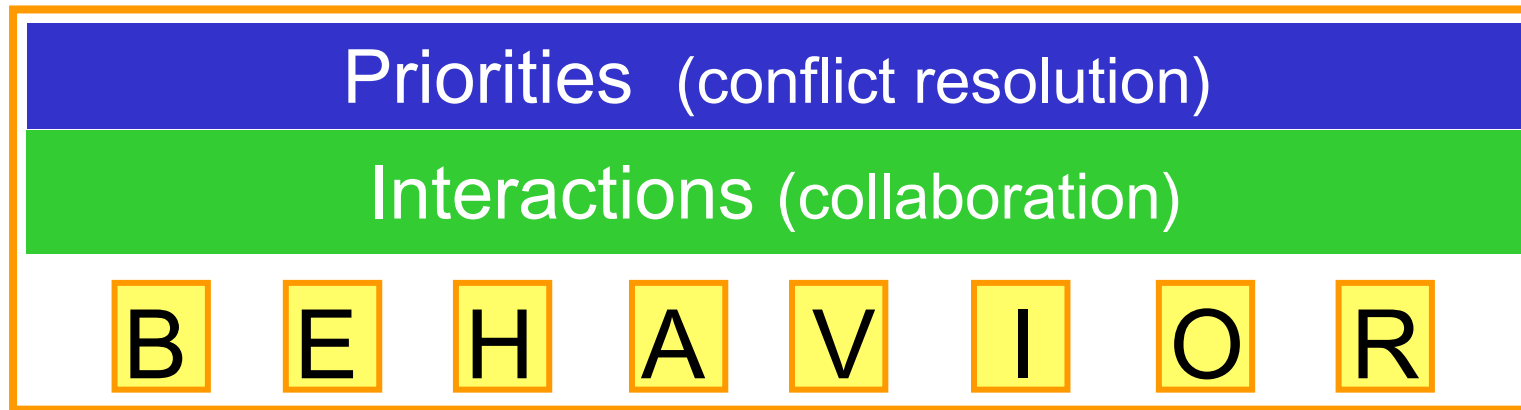
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- BIP: Basic Concepts
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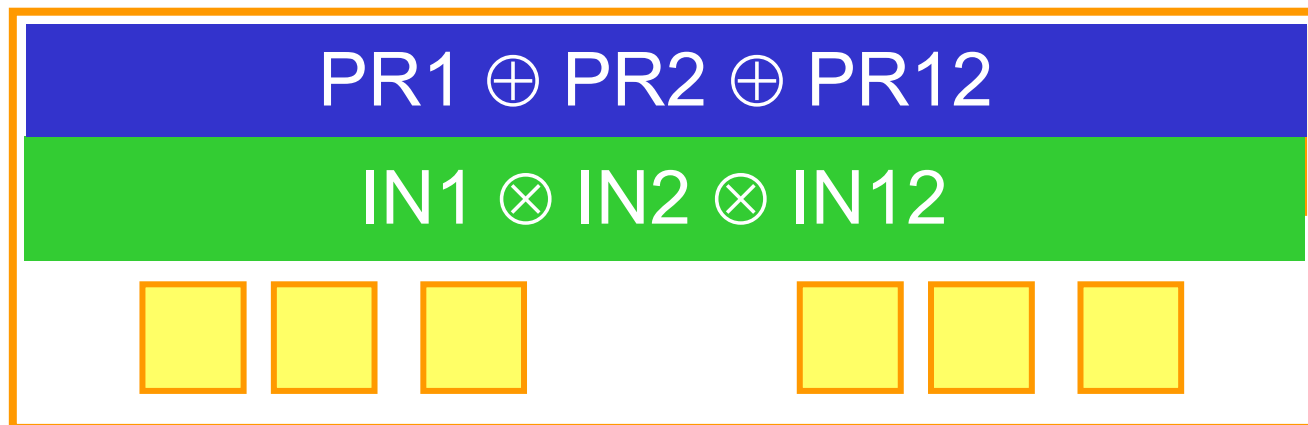


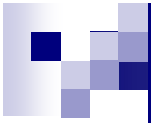
# BIP: Basic Concepts

Layered component model

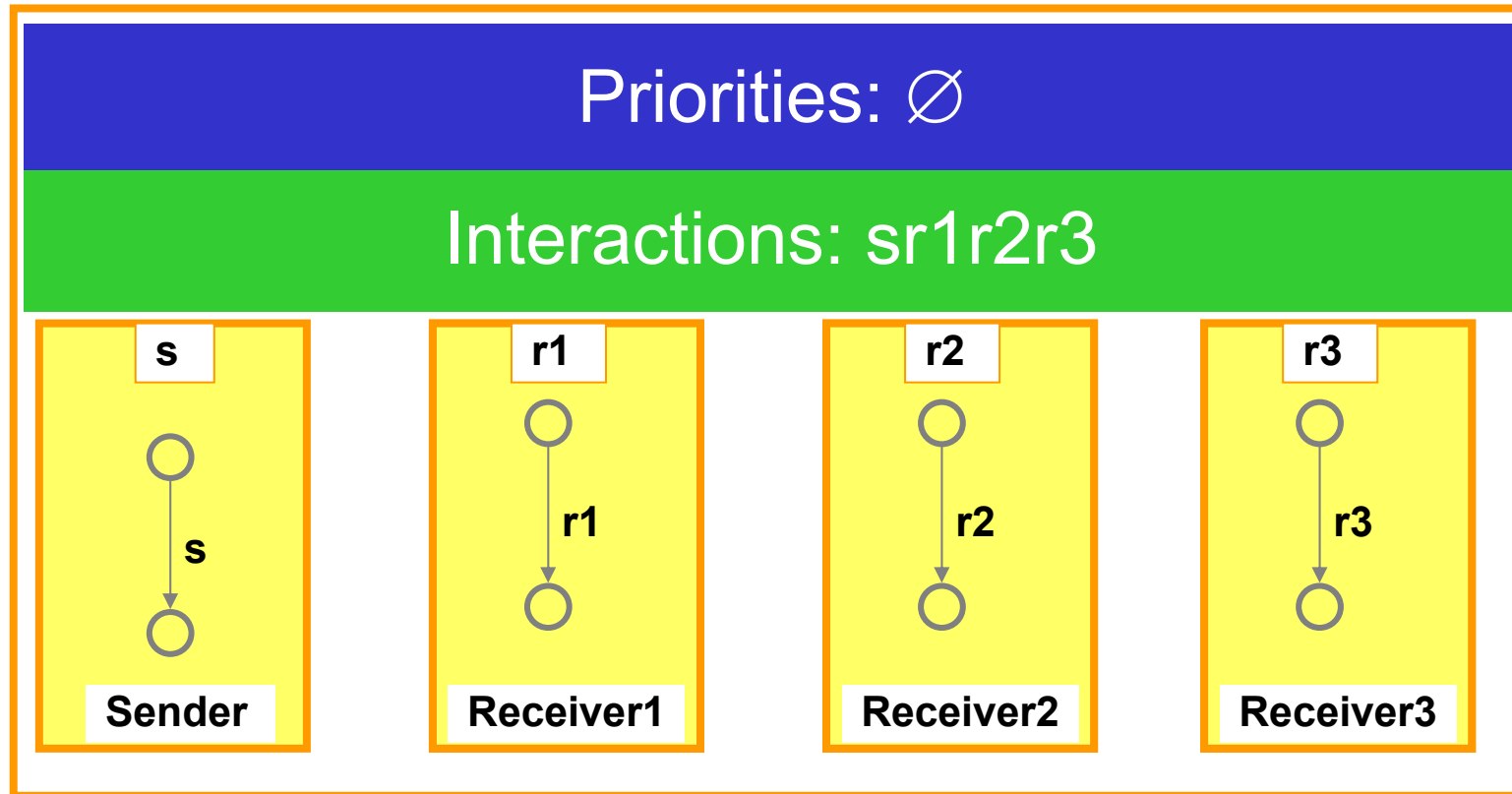


Composition operation parameterized by glue  $IN_{12}$ ,  $PR_{12}$

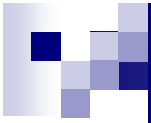




# BIP: Basic Concepts



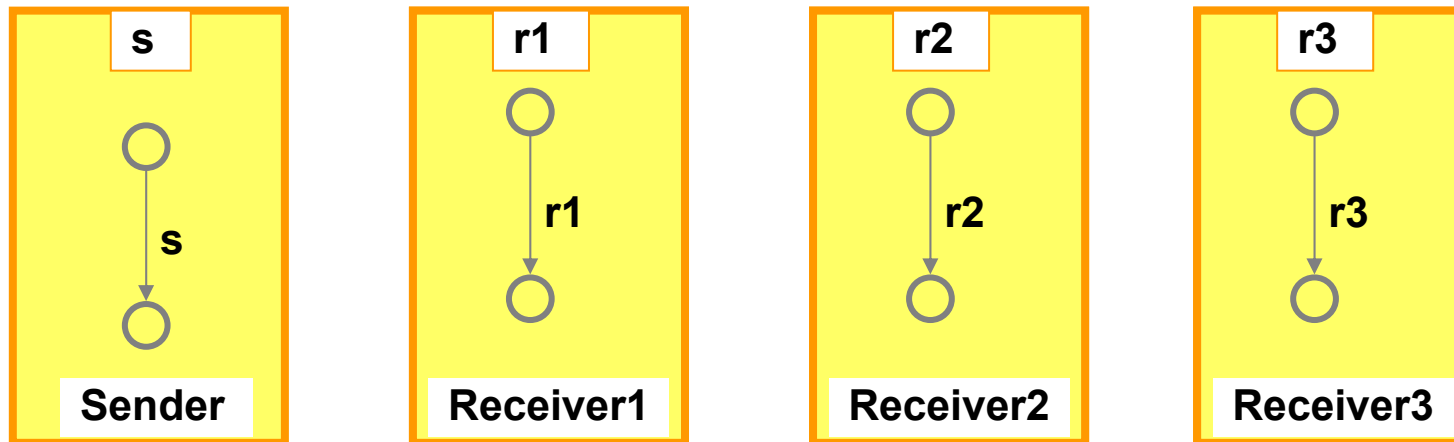
Rendezvous



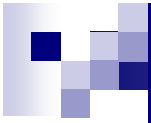
# BIP: Basic Concepts

Priorities:  $x \prec xy$  for  $x, xy \in \text{Interactions}$

Interactions:  $s + sr1 + sr2 + sr3 + sr1r2 + sr2r3 + sr1r3 + sr1r2r3$



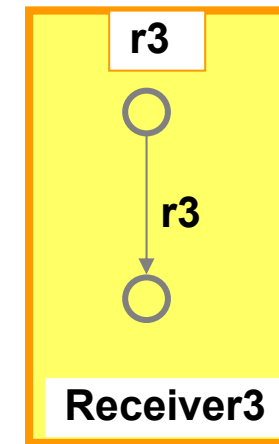
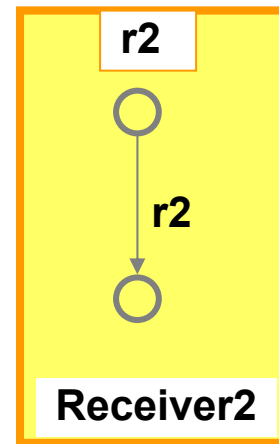
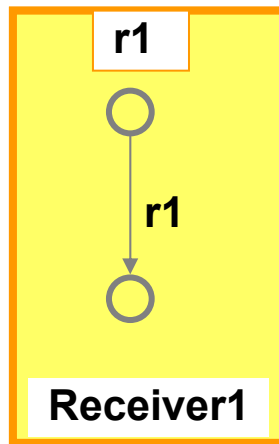
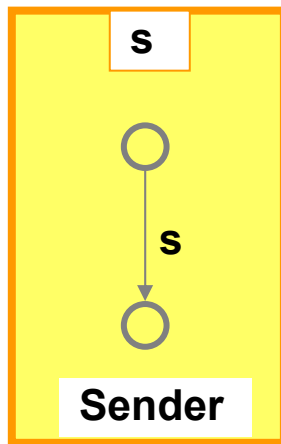
Broadcast



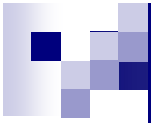
# BIP: Basic Concepts

Priorities:  $x \prec xy$  for  $x, xy \in \text{Interactions}$

Interactions:  $s + sr_1r_2r_3$



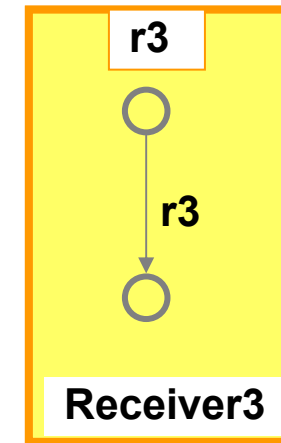
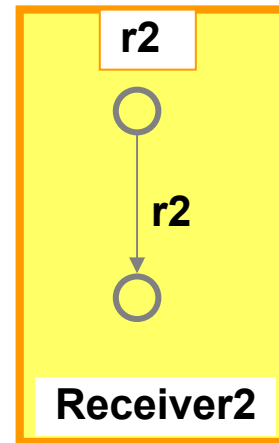
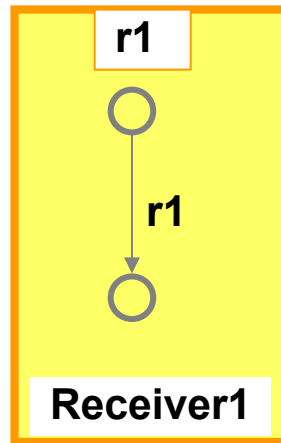
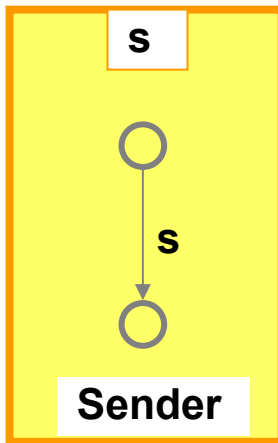
## Atomic Broadcast



# BIP: Basic Concepts

Priorities:  $x \prec xy$  for  $x, xy \in \text{Interactions}$

Interactions:  $s + sr1 + sr1r2 + sr1r2r3$



## Causal Chain

# BIP: Basic Concepts: Semantics

- a set of atomic components  $\{B_i\}_{i=1..n}$   
where  $B_i = (Q_i, 2^{P_i}, \rightarrow_i)$

- a set of interactions  $\gamma \in 2^{2^P}$  with  $P = \cup_{i=1..n} P_i$   
and  $P_i \cap P_j = \emptyset$   $P = \cup_{i=1..n} P_i$

- a strict partial order  $\pi \subseteq 2^P \times 2^P$

}  $\pi \gamma (B_1, \dots, B_n)$

## Interactions

$$\frac{\{a_i\}_{i \in I} \in \gamma \quad \{q_i - a_i \rightarrow q'_i\}_{i \in I} \quad a = \cup_{i \in I} a_i}{(q_1, \dots, q_n) - a \rightarrow_\gamma (q'_1, \dots, q'_n) \text{ where } q'_i = q_i}$$

## Priorities

$$\frac{q - a \rightarrow_\gamma q' \quad \neg (\exists q - b \rightarrow_\gamma \wedge a \pi b)}{q - a \rightarrow_\pi q'}$$

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# Expressiveness for Component-based Systems

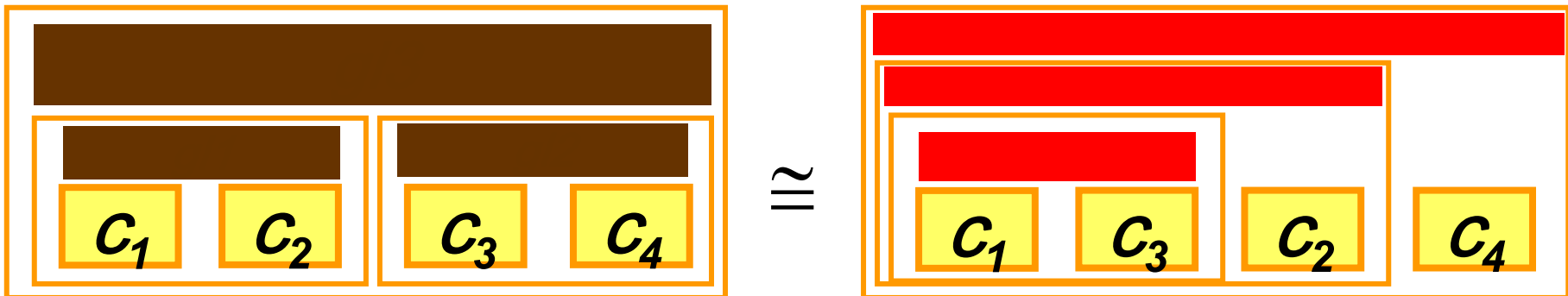
- Different from the usual notion of expressiveness!
- Based on strict separation between glue and behavior

Given two glues  $G_1$ ,  $G_2$

$G_2$  *is strongly more expressive than*  $G_1$

if for any component built by using  $G_1$  and  $\mathcal{C}_0$

there exists an equivalent component built by using  $G_2$  and  $\mathcal{C}_0$





# Expressiveness for component-based systems

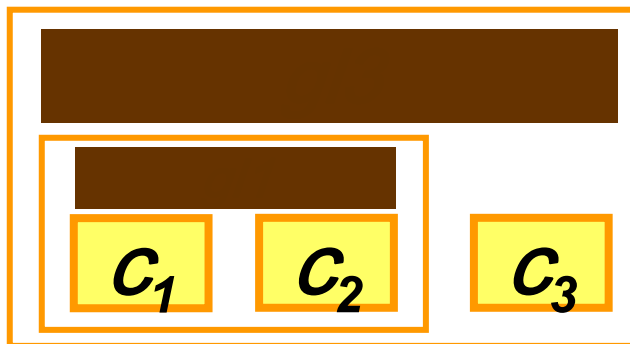
Given two glues  $G_1, G_2$

$G_2$  is weakly more expressive than  $G_1$

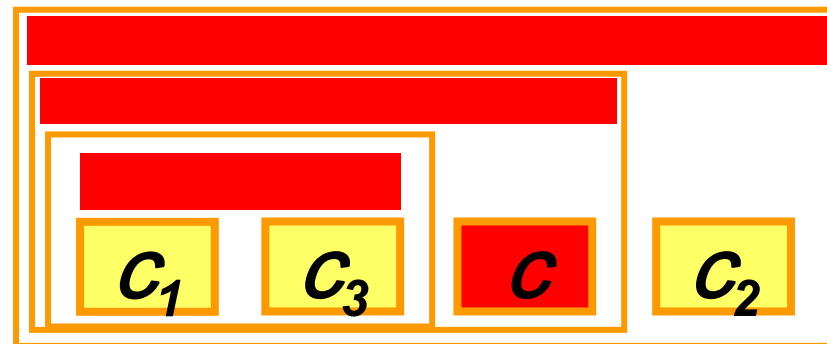
if for any component built by using  $G_1$  and  $\mathcal{C}_0$

there exists an equivalent component built by using  $G_2$  and  $\mathcal{C}_0 \cup \mathcal{C}$

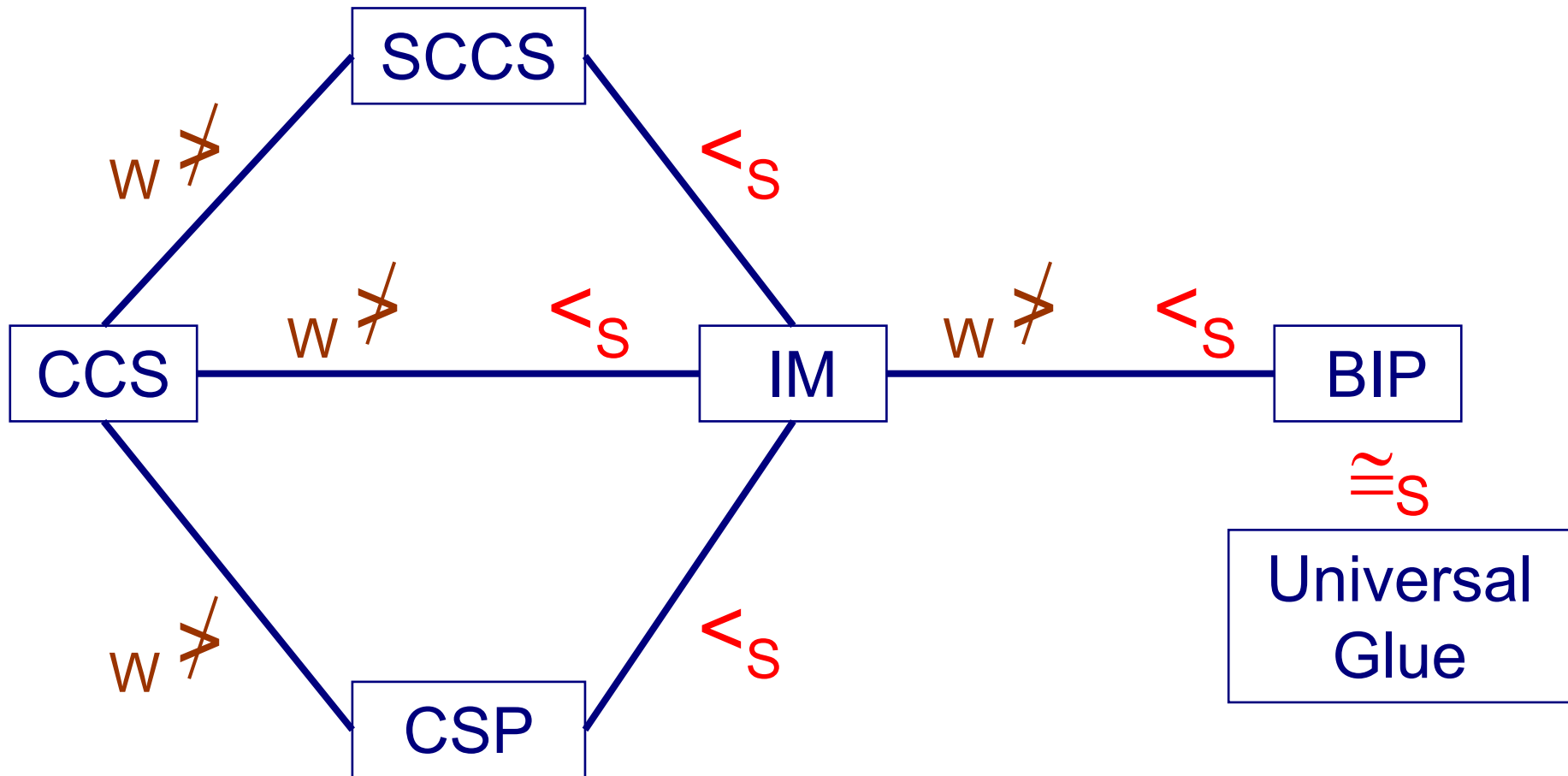
where  $\mathcal{C}$  is a finite set of coordination behaviors.



$\approx$

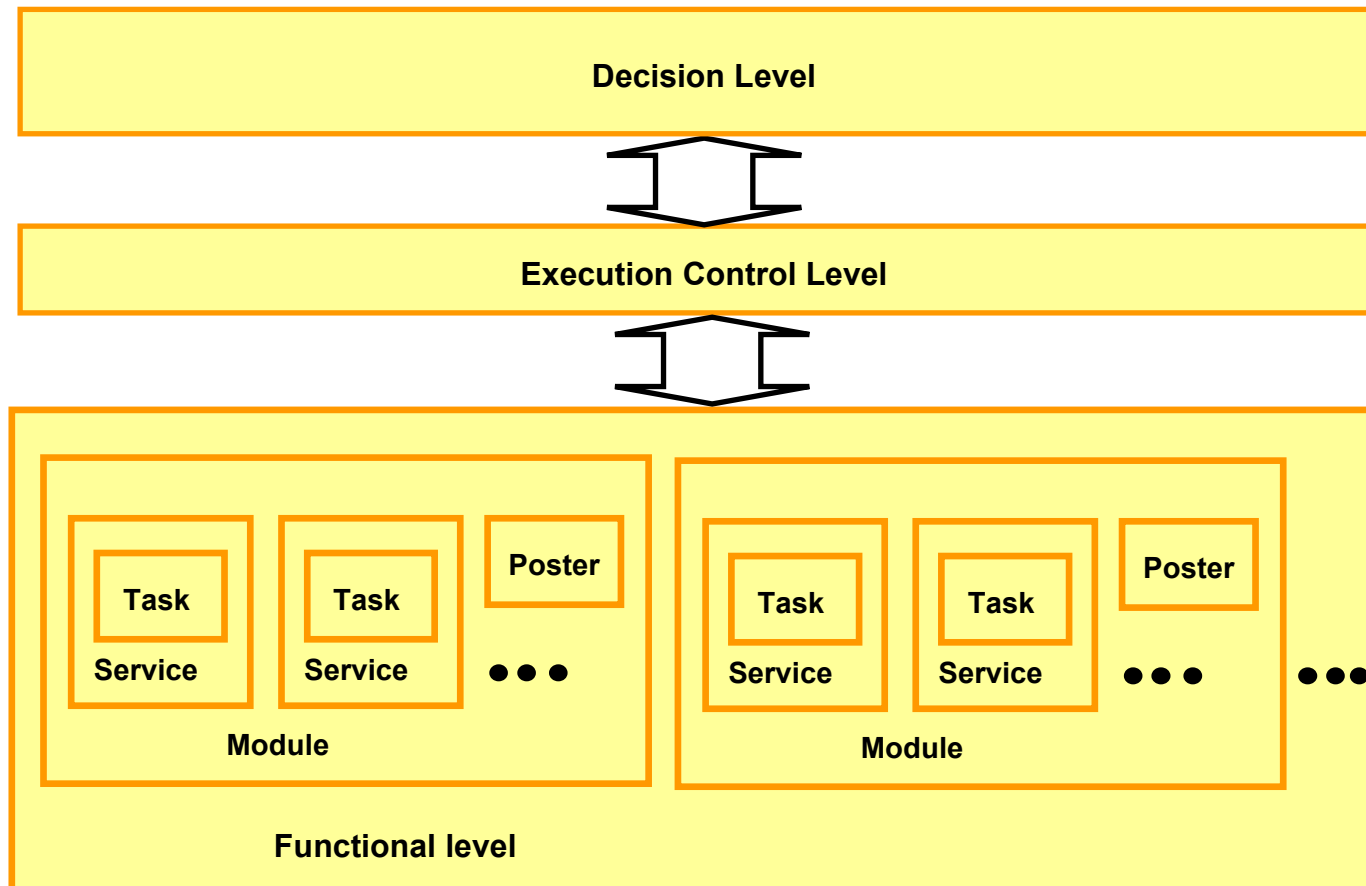


# Expressiveness for component-based systems



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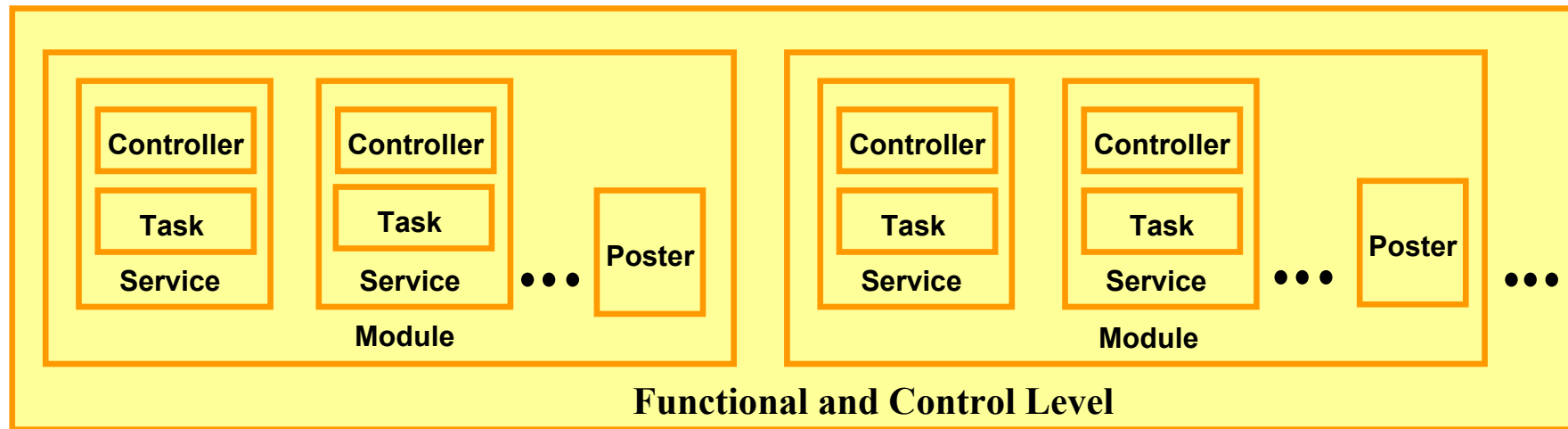
# The DALA Robot: Architecture



Autonomous system of ~300000 lines of C++ code developed at LAAS laboratory in Toulouse

**Objective:** Design a componentized version where global Execution Control is replaced by Local Execution Control for each Service

# The DALA Robot: Componentization



**Functional and Control Level ::= Module<sup>+</sup>**

**Module ::= Service<sup>+</sup> . Poster**

**Service ::= Service Controller . Service Task**

**Service Controller ::= Event Triggered Controller | Cyclic Controller**

**Cyclic Controller ::= Event Triggered Controller . Cyclic Trigger**

**Service Task ::= Timed Task | Untimed Task**

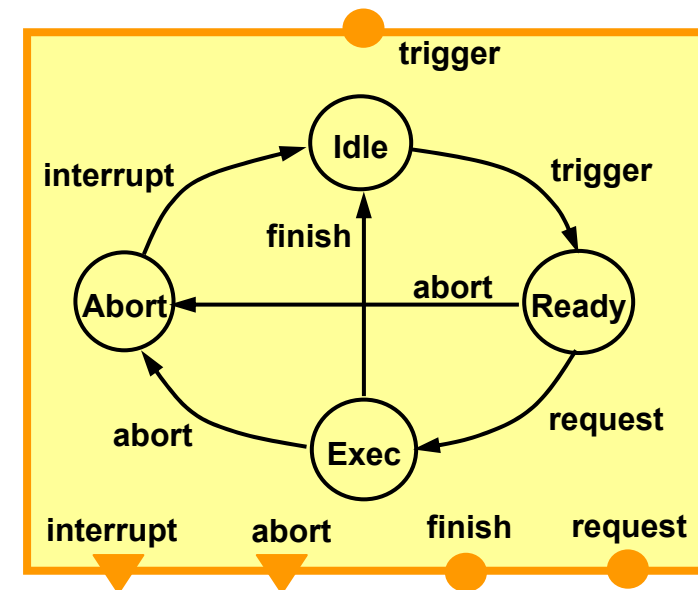
# The DALA Robot: Event Triggered Controller

**Idle:** the Service is idle

**Ready:** checks the possibility for starting a new Task of the Service

**Exec:** execution of the Task of the Service

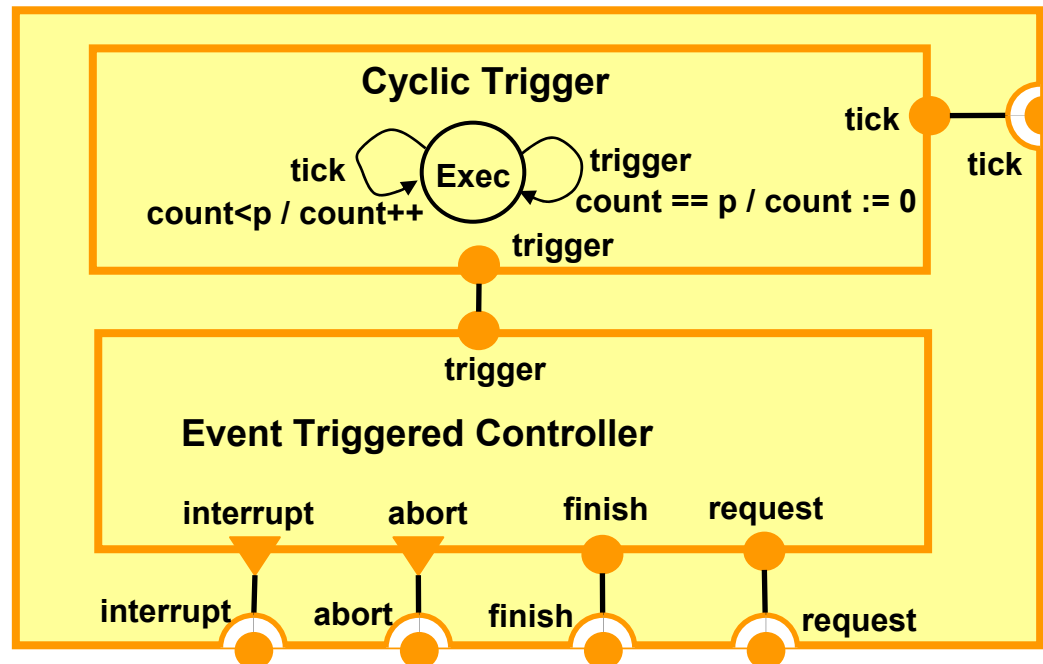
**Abort:** Service is aborted



# The DALA Robot: Cyclic Controller

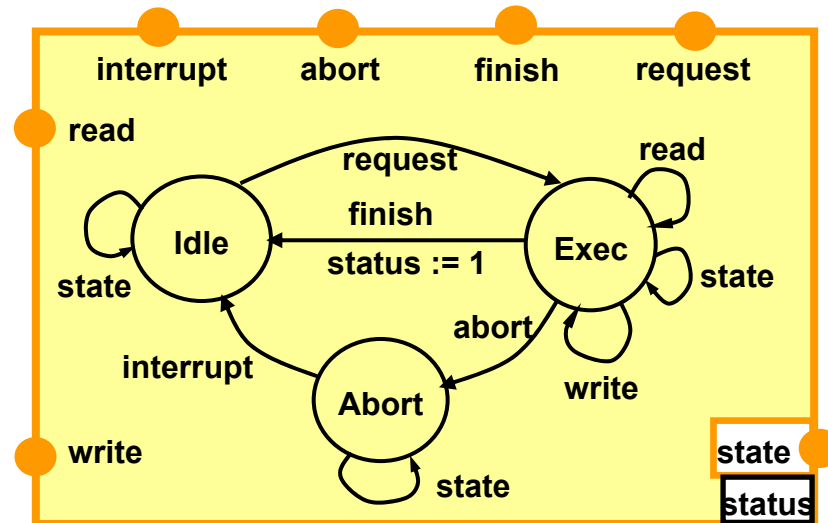
**Cyclic Controller ::=**  
**Event Triggered Controller . Cyclic Trigger**

The Cyclic Trigger starts the Event Triggered Controller every period  $p$



# The DALA Robot: Untimed Task

Triggered by *request*



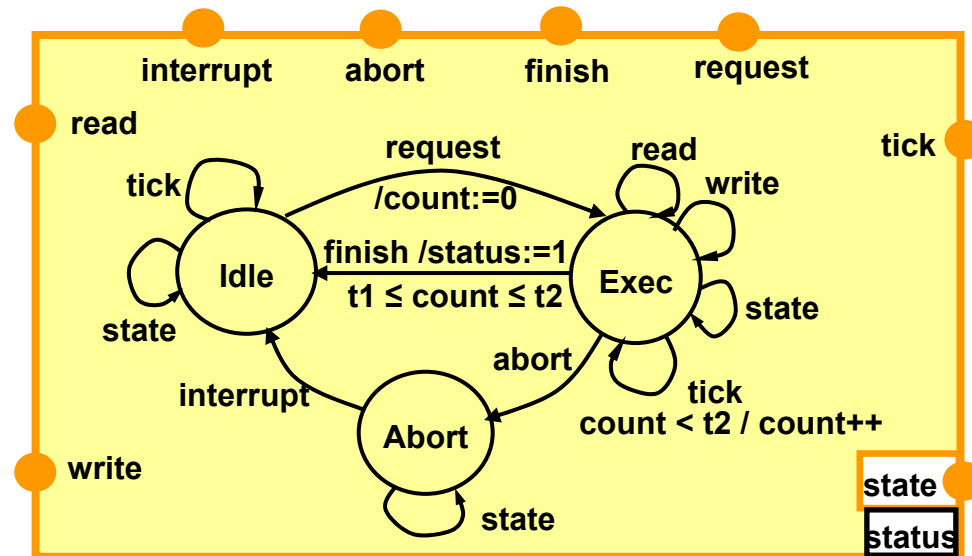
The variable ***status*** specifies the previous state of Task

- status* == 1** : Task successfully executed
- status* == 0** : Task aborted



# The DALA Robot: Timed Task

- Obtained from an Untimed Task
- Its execution time is in  $[t1, t2]$



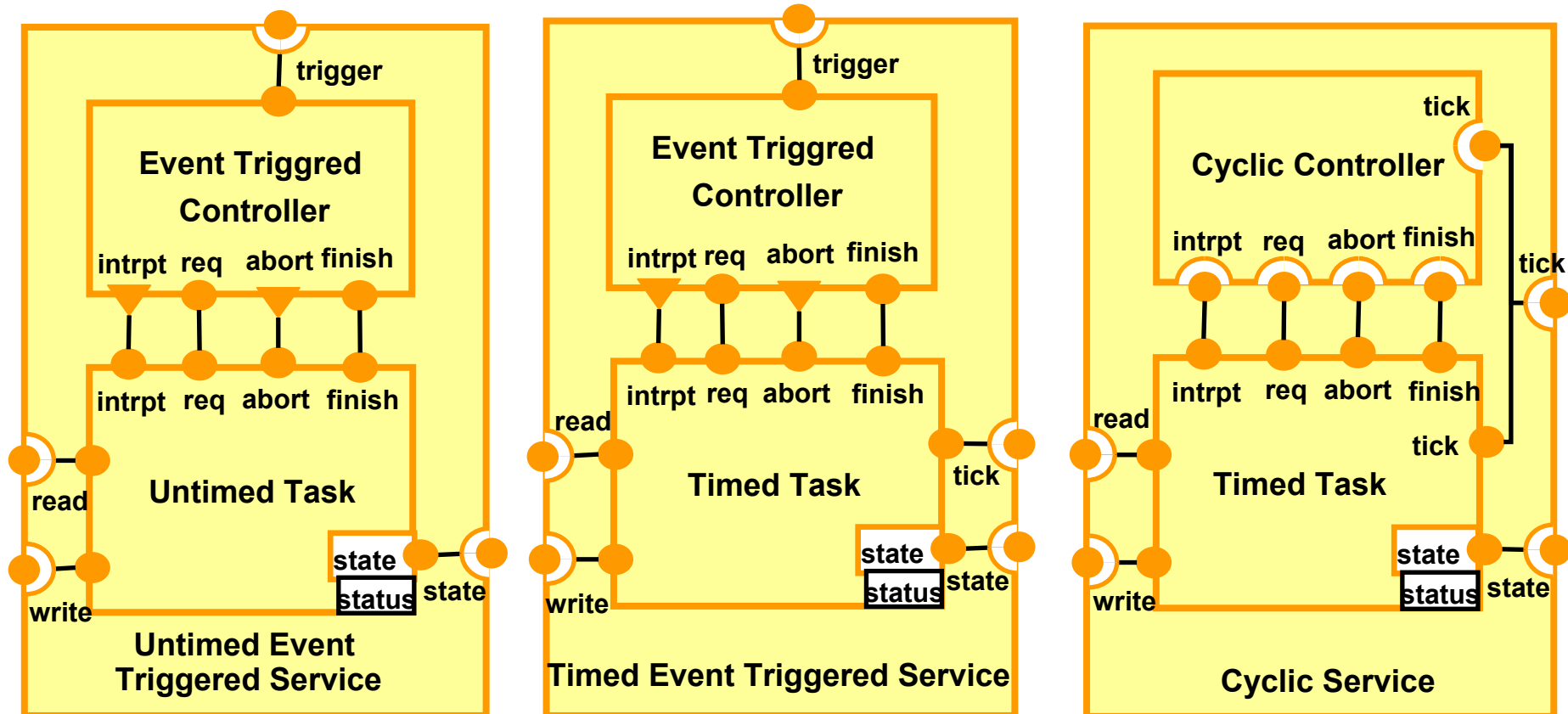
# The DALA Robot: Different types of Services

**Untimed Event Triggered Service**

**::= Event Triggered Controller. Untimed Task**

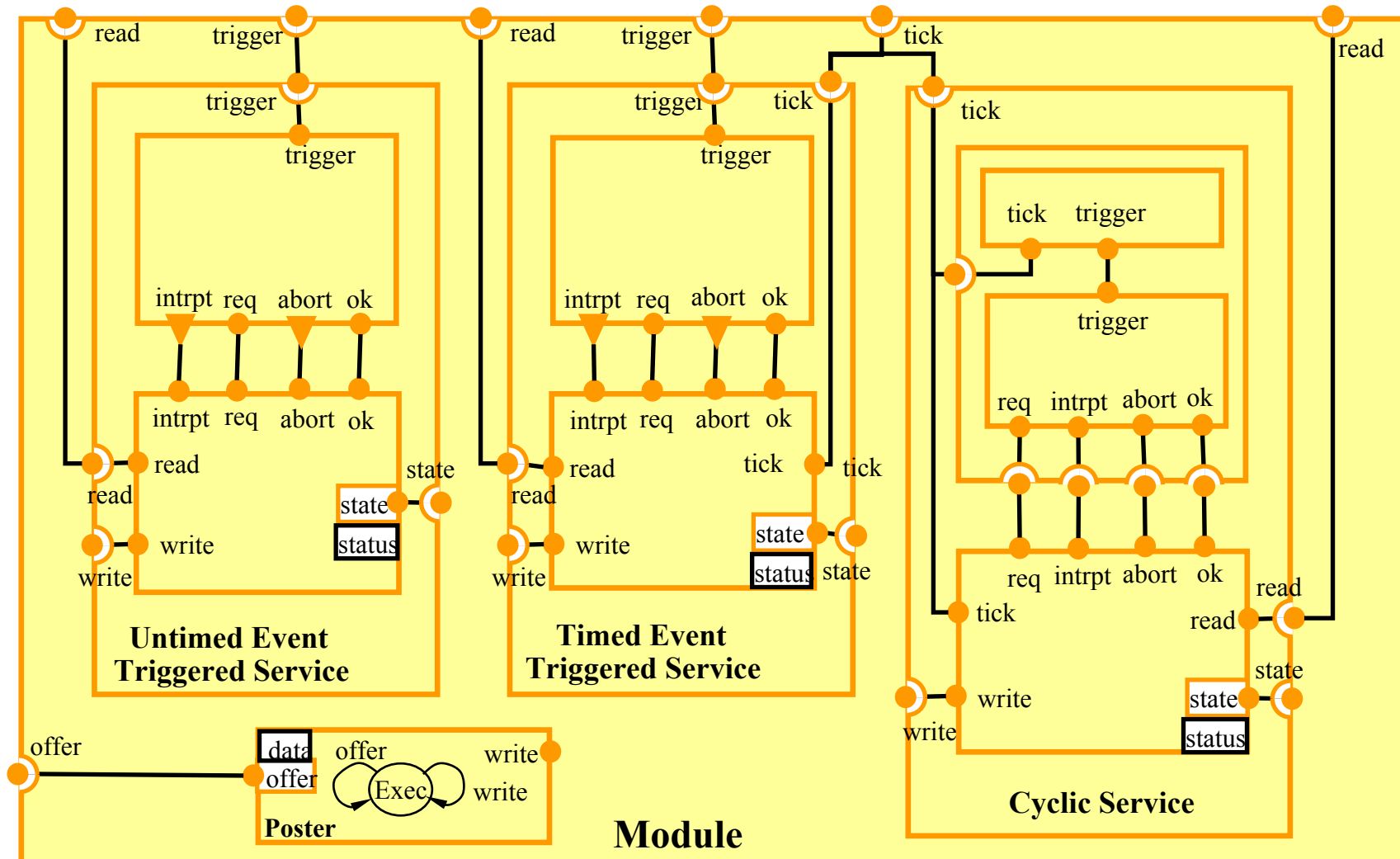
**Timed Event Triggered Service ::= Event Triggered Controller. Timed Task**

**Cyclic Service ::= Cyclic Controller . Timed Task**



# The DALA Robot: A Module

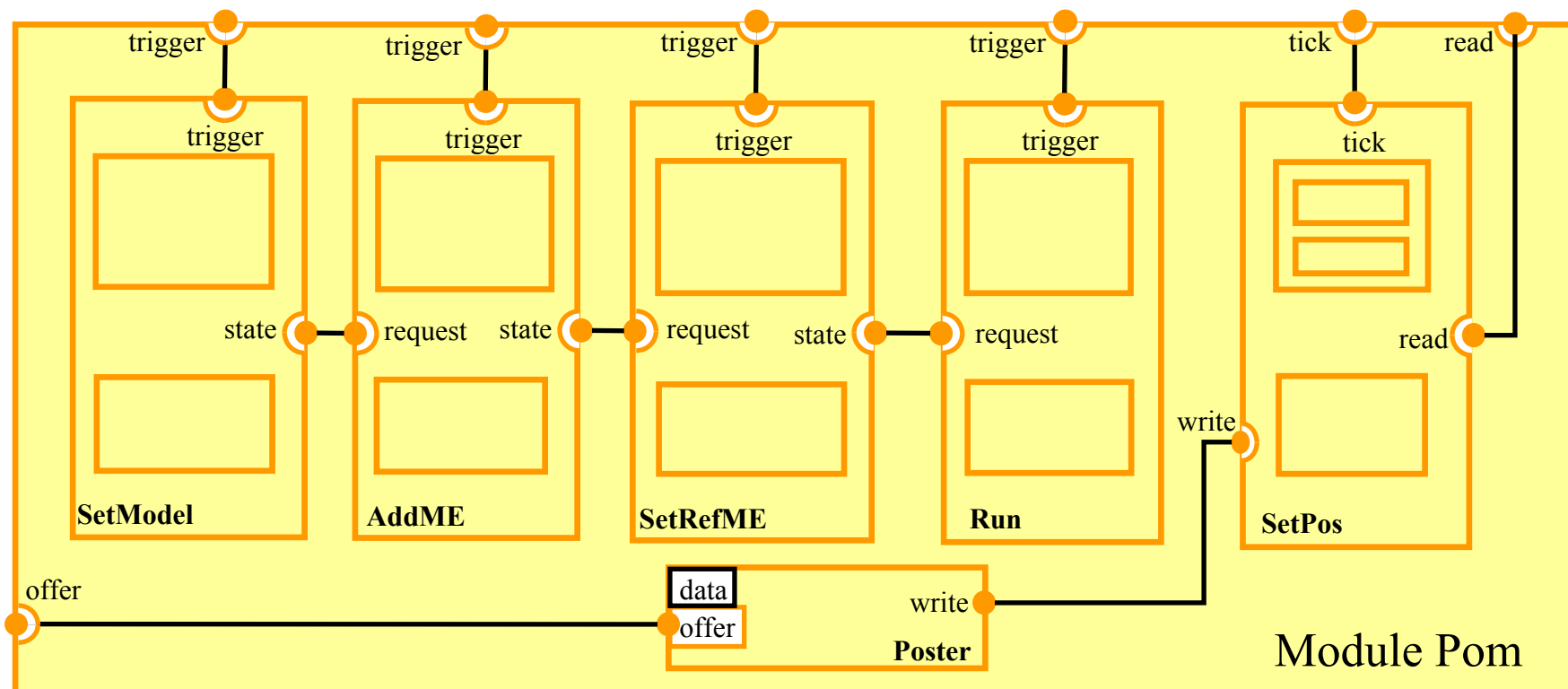
A module composed of 3 services and a poster



# The DALA Robot: The module Pom

Reads and integrates data to provide an estimate of the position of the robot

**Pom ::= SetModel. AddME. SetRefME. Run. SetPos. Poster**

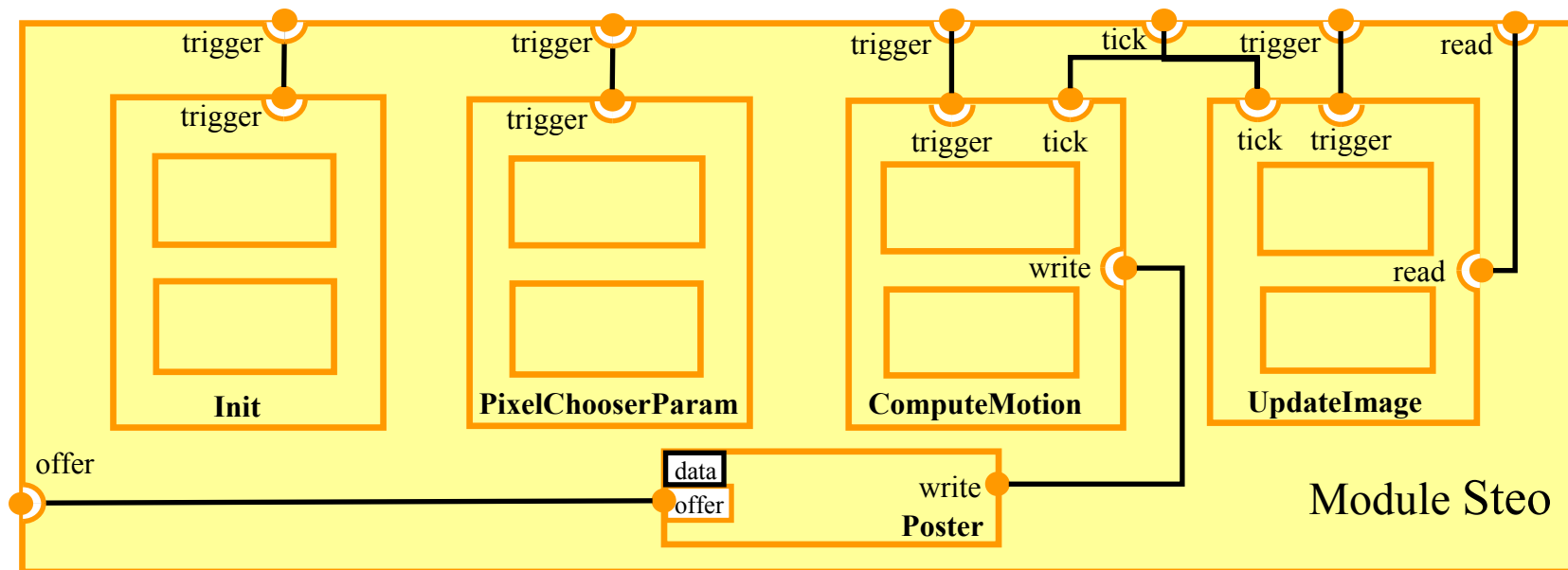


# The DALA Robot: Module Steo

Computes the relative displacement of the robot

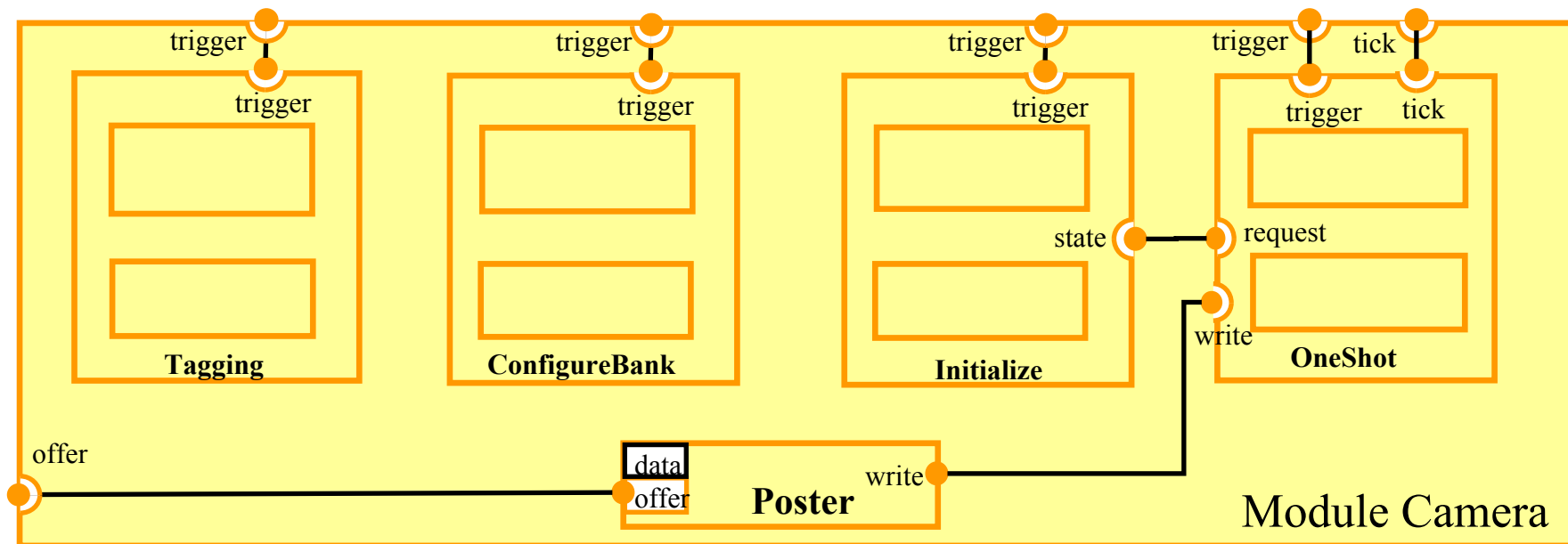
**Steo ::=**

**Init. PixelChooserParam. ComputeMotion. UpdateImage. Poster**



# The DALA Robot: Module Camera

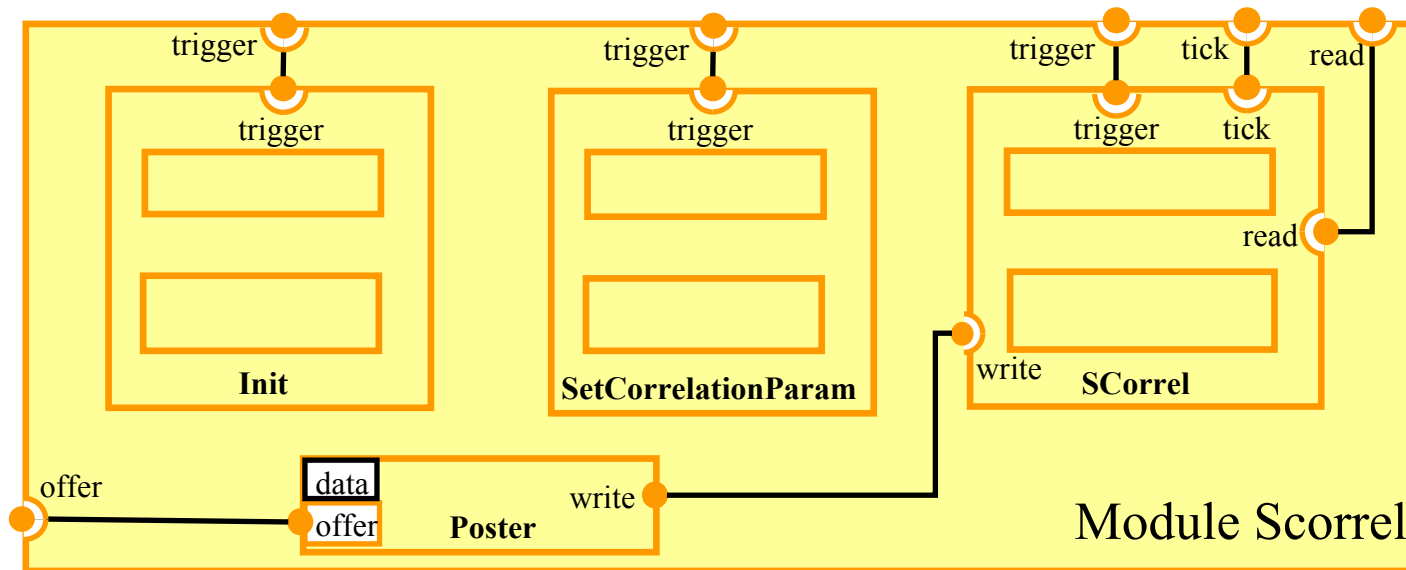
**Camera ::= Tagging. ConfigureBank. Initialize. OneShot. Poster**



# The DALA Robot: Module Scorrel

Computes the stereo-correlation and produces 3D information about the environment.

**Scorrel ::= Init. SetCorrelationParam. SCorrel. Poster**





# Discussion

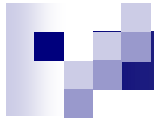
## Principles

- transitions of composite components are obtained as the interaction of transitions of their constituents
- strict separation between behavior and composition operators e.g. no expansion theorems expressing composition in terms of non-deterministic choice and prefixing by actions.

## Work in progress

- Not yet completely explored possible relations between glues of process calculi. However, these cannot be as expressive as glues with negative premises even by allowing additional behavior for coordination
- We considered equivalences where all the ports are observable. The preservation of the presented results for observational relations should be investigated.





**Thank You**